

*A1 Introduction*

A more general explanation is given in **Explanation of the qubit universe**. Therefore the following calculation should be understood as a valid cosmic process for the Big Bang separating the two opposing infinities, one for dark matter and the other the absolute nullification of quantum photon empty space due to photon interference up to the limit of Planck length of about  $10^{-35}$  meters. The dark matter infinity is understood as the mobility of infinite dark matter cells representing also the zero energy state then having no perpetual movement any longer. It means that the mediating mass of the generalized H atom for each atom is the resonance state of mediation between the two infinities.

*A2 The first step in the proof for the equality based on the two mentioned symmetries is a straightforward calculation.*

The number of electrons/positrons per meter follows  $(1024)^4 / (8/3 \times 1.00521)$  binary steps. One knows straight away this must be correct because the electron has eight choices to jump from one plane of a cube to the opposite plane but it is restricted in the three directions for switching. For the pyramid symmetries in a coherent phase space of time one needs  $12^{12}$  dipole exchanges to equal the length of the electron string of  $4.121021 \cdot 10^{11}$  steps, reciprocal of  $\lambda_e = 2.426583 \cdot 10^{-12}$  m. (2.426488)

The equality: $(1024)^4 = 1.099511 \cdot 10^{12} = 4.121021 \cdot 10^{11} \times 8/3 \times 1.000521$	
$12^{12} = 8.916100 \cdot 10^{12}$	$12^{11} = 7.430083 \cdot 10^{11}$
Ratio 1:	ratio 2:
$8.916100 \cdot 10^{12} / 1.099511 \cdot 10^{12} =$	$7.430083 \cdot 10^{11} / 4.121021 \cdot 10^{11} =$
8.109146	1.802971
$8.109146 / 8 = 1.013643$	$1.802971 / \sqrt{3} = (1.013466)^3$

Giving:  $1.013643 / 1.013466 = 1.000174$        $(1.000174)^3 = 1.000522$  (653)

Above sweeping statement needs some consideration. From the point of view as a first impression the cubic symmetry might be correct. However from the mid plane symmetries between the cubic equi-triangle and equilateral pyramid described in fig 7, one needs three volume reduction of an  $1/8^{\text{th}}$  to comply with the cross over constant between volume and height for these pyramids. The other ratios follow from fig 7. The cross over constant is calculated in table 1. The result is:

$$1728 / 1024 = 12 / (8/3)^2 = 108 / 64 = 1.68750000.$$

The other conserved ratio as shown further on is  $2\sqrt{2}$  the scaling constant between the pyramids in momentum space in which the forward phase velocity of  $\sqrt{2}c$  is normalized to  $c$  as shown in table 1.

Take the square root of  $2\sqrt{2}$ : 1.681792

Giving the ratio:  $1.6875 / 1.681792 = 1.003393$

$$(1.000653)^6 = 1.003918$$

What can be made plausible is that  $(1.000521)^7 = 1.003652$  while  $1 + (1 / 137.036) = 1.007297$ .

The tentative conclusion is that Compton's fine structure constant of  $(1 / 137.036)$  is determined by two conserved exact ratios of 1.68975 and  $2\sqrt{2}$  based on the competition between the two pyramid configurations of which the base is always the equilateral triangle. Further not analyzed is:

$108 / 64 = 27 / 16 = 3^3 / 2^4$  pointing to the first inversion step followed by the 2<sup>nd</sup> step giving the final ratio of 1728 as an internal dynamic process.

The other firm conclusion is that indeed the above straightforward calculation can be validated and confirmed in the next paragraph of the 7<sup>th</sup> exponent representing the 7 inversion symmetries for binary reduction to our present day cosmos.

### A3 The second step in the proof

#### Binary inversion symmetry for electron generation by a process of Planck's induction

##### Par 2.0 Introduction

Following the inversion symmetry discussed in chap 1 the equalities shown in rel 1.1 and 1.2 are to be considered as parameter inversion between Planck's and electron parameters. The whole range from  $m_e$  to  $\lambda_{pl}$  of  $10^{-31}$  to  $10^{-35}$  respectively as not equal in dimension is a consequence of inversion between these parameters. These are:

$$\begin{array}{llll} m_{pl} = 5.456035 \cdot 10^{-8} & m_e = 9.109462 \cdot 10^{-31} & \text{kg} & 9.109308 \text{ update} \\ \lambda_{pl} = 4.051453 \cdot 10^{-35} & \lambda_e = 2.426583 \cdot 10^{-12} & \text{m} & 2.426488 \text{ update} \end{array}$$

First is the proof of the inversion equalities mentioned is given by rel 1.1:

$$\lambda_{pl} = 1.002490 \times 2\sqrt{2} \lambda_e^3 \quad (1.1)$$

Followed as a consequence of (1.1):

$$\begin{array}{lll} m_{pl} = 1.766053 m_e^{1/4} & \text{or} & m_{pl}^4 = C_4 m_e \quad \text{with} \quad (1.2) \\ C_4 = 1.766053^4 = 9.727806 \end{array}$$

In the first instance these equalities cannot be correct because of the dimensions respectively ( $\lambda_{pl}$  and  $\lambda_e$ ) and ( $m_{pl}$  and  $m_e$ ). However the factor  $(\sqrt{2})^3$  suggests it to be linked to the pseudo vector of  $\lambda_e$ .

*Note update the factor 1.002490 is about 1.002831 and  $(m_{pl}/m_e)^{1/4} = 286.288 \times 1828$ . In the report 'preliminary' the refurbished calculation is given without changing the conclusions.*

*Comment: The real R obeying Newton's laws of our 3D spatial space is subjected to two entanglement transformations determining  $R^4 = R_{sub} R_{lin}$  with  $R_{sub}$  and  $R_{lin}$  as transformation parameters. Derived at 'Sacharov's report' par 4 and these three R's comply with the uncertainty condition for momentum. The 4<sup>th</sup> power of R is valid for any pseudo vector medium surrounding a conserved potential field explaining the 4<sup>th</sup> power of  $m_{pl}$  with respect to  $m_e$ .*

Note

Dark matter ratio limit Planck  $(m_{pl}/m_e)^{1/4} = 286.2874 \times 1728$

With  $286.2874/2 = 143.1437$   $1604.175 = (137.036)^{3/2}$

Substitution  $1/137.036 - 1/(2 \times 1604.175) = 1/143.1437$

Error 1.00022 due to choice of 1604.175

Higgs' limit at  $142.6940 \times 1728$  has similar substitution:  $1/137.036 - 1/3456 = 142.6940$

##### Par 2.1 The absolute proof of the inversion symmetry of Planck's and electron parameters

As is shown in the previous paragraph, the number of binary divisions for the electron is given as the reciprocal of  $\lambda_e$ .

The number of  $N_{e1}$  aligned as  $4.121021 \cdot 10^{11}$  (elec/m) where

$$1024^4 = 2.668056 \times N_{e1} \quad \text{with} \quad 2.668056 = 2 \times 4/3 \times 1.000521.$$

Now determine the number of electrons in the universes (twelve):

Take the overall mass  $M_{tot} = (L_{coh})^2$  which is the angular momentum of a Planck filament of 1 kg and divide by  $m_e$ . However, from the same definition of the line density of  $m_{pl}/\lambda_{pl}$  every one meter of the event horizon represents a black hole mass of  $1.346685 \cdot 10^{27}$  kg giving  $M_{tot}$ .

$$M_{tot} / m_e = (1.346685 \cdot 10^{27})^2 / m_e = 1.990853 \cdot 10^{84} \text{ (elec)}$$

Binary division symmetry shows, see 'Overview' par 2 for ratio 1.024803:

$$1024^{28} = 1.942668 \cdot 10^{84} \quad \text{with ratio } 1.990853/1.942668 = 1.024803$$

$$\text{while } N_{e7} = (4.121021 \cdot 10^{11})^7 = 2.018523 \cdot 10^{81} \text{ (elec)}$$

The overall volume of the universes is:

$$V_{tot} = V_{e7} = L_{coh}^3 = 2.4423400 \cdot 10^{81} \text{ (m}^3\text{)}$$

Showing that every cubic meter of the expanded universe contained one electron having a unit density of  $9.109462 \cdot 10^{-31} \text{ kg/m}^3$ .

The ratio between  $N_{e7}/V_{\text{tot}} = 1/1.209943$

with  $1.209943/(1/3\sqrt{3})^{1/3} = 1.007499 = (1.002493)^3$

With this important result it is allowed to state that it is a string of  $L_{e1} = 4.121021 \cdot 10^{11} \text{ (m)}$  with one electron per meter. So is  $L_{e2} = (4.121021 \cdot 10^{11})^2$  a surface of one electron per  $\text{m}^2$  but also a string of that length with one electron per meter. Then  $L_{e3} = (4.121021 \cdot 10^{11})^3$  or a volume of one electron per  $\text{m}^3$  but it is also a string of that length with one electron per meter. This can be continued to  $L_{e7}$  as a volume or a string of a unit as the electron.

What is revealing is that  $N_{e6} = L_{e6} = 4.898114 \cdot 10^{69} \text{ (m}^3\text{) or (m) or (number of electrons)}$  is the square power of  $N_{e3}$  while the ratio between  $N_{e7}$  and  $N_{e6}$  will be used to convert Planck masses into compressed  $\tau$ -leptons.

It means that if  $N_{e3}$  of  $6.99 \cdot 10^{34}$  has a mass of  $N_{e3} \times m_e = 6.375398 \cdot 10^4 \text{ (kg)}$  being in the state of contraction for the electron density  $\delta_e$ , for  $N_{e3}$  is contracted in one  $\text{m}^3$ ,  $(\delta_e = m_e/\lambda_e^3)$ .

$N_{e3}$  is also the reciprocal of Planck length divided by the factor  $2\sqrt{2} \times 1.002490 = 2.835470$

Now take the string  $N_{e2} = 1.698281 \cdot 10^{23}$  with mass of  $N_{e2} \times m_e = 1.547043 \cdot 10^{-7} \text{ kg}$ . Determine the black hole radius  $c^2/G = 1.346685 \cdot 10^{27} \text{ (kg/m)}$ :

$$R(-34) = 1.148777 \cdot 10^{-34} \text{ (m)} \quad N_{e3} \times R(-34) = 8.039897 = (2\sqrt{2} \times 1.002490)^2$$

Similarly the ratio to Planck's mass :

$$1.547034 \cdot 10^{-7} / 5.456035 \cdot 10^{-8} = 2.835454$$

Showing relations 1.1 and 1.2 are correct as equalities. But the value of the mass of  $1.547034 \cdot 10^{-7}$  is also the other internal parameter of the electron of  $F_{\text{vac}} = m_e/\lambda_e^2$ . So reciprocity tells us how to generate the internal parameters.

The meaning of  $N_{e6}$  is that  $N_{e3}$  units for Planck's generation are used to funnel compressed  $\tau$ -leptons in great numbers by using the condition for gravitational induction:

$m_{\text{pl}}^2 = M_e m_e$  applied to the electrons with  $M_e$  the induction mass provided the exchange velocity is less than  $c$  or as valid here for the effective velocity of  $1/2c$ .

Giving  $m_{\text{pl}}^2 = 2.97683 \cdot 10^{-15}$  and  $m_e$  then  $M_e = 3.267845 \cdot 10^{15} \text{ (kg)}$

By making  $M_e m_{\text{pl}}^2 = 9.727824 = (1.767370)^4$  with deviation of 1.000746 for  $C_4$ .

But also  $N_M = M_2/m_e = 3.587309 \cdot 10^{45}$  electrons. Compare to  $N_{e4} = 2.884159 \cdot 10^{46}$  giving the conserved ratio 8.039894 but  $8.039.../8 = (1.002490)^2$

The induction balance for high density  $\tau$ -lepton works as follows:

Take the reciprocal of  $m_{\text{pl}}^2$  giving:  $3.359296 \cdot 10^{14}$

Determine the overall mass for  $\tau$ :  $(2.668056)^7 = 962.4198 m_e$

Because  $(1024)^{28} = (2.668056)^7 \times (4.121021 \cdot 10^{11})^7$

Showing self consistency:  $962.4198/864 = 1.113911 = (1.036613)^3$  with

To the quark cell of  $1728 m_e$ :  $(1.036613)^4 = 1.1547005 = \sqrt{4/3}$

Compare this mass to the real  $\tau$ -lepton:  $3456(1 + 21.189/3456) = 3477.189 m_e$

$$4 \times 962.4198 = 3456 + 393.6798 = 3456 + 16 \times 24.60495$$

The  $\tau$ -compressed is:  $3456(1 + 24.60495/3456) = 3480.604$

With energy balance of:  $21.189 + 34.259 = 0.513 + 24.60495 + 30.33$

Determining free energy between neutron and proton of 1.531 compared to  $3 \times 0.513$

By using respectively the values of the pseudo and c-state of the  $\tau$ -neutrino.

The reciprocal contraction for  $\tau$ -compressed:

$$3480.4198 \times 4.121021 \cdot 10^{11} = 1.43464 \cdot 10^{15} \text{ divide by } 16/3 = 5.3333: \quad 2.68943 \cdot 10^{14}$$

The ratio between the reciprocal  $m_{\text{pl}}^2$  and above:

$$3.359276 \cdot 10^{14} / 2.68943 \cdot 10^{14} = 1.249066 \quad 1.249066 \times \sqrt{2} = 1.766444$$

Deviation to  $C_4 = 1.766053$  is  $1.000221$

Note  $16/3 \times \sqrt{2} = 7.542472$  with  $8/7.542472 = 1.060660 = (\sqrt{3}/2)/\sqrt{4/3}$   
 $1.060660 \times 1.002493 = 1.063304$  times 1728 1837.389 $m_e$  close to H-atom.

### *Conclusion*

Shown is that  $N_{e6} = (4.121021 \cdot 10^{11})^6 = 4.898114 \cdot 10^{69}$  as the square power of  $N_{e3}$  gives the proper formation of Planck's contraction. In the sense of physics the number of  $\tau$ -leptons emerged through gravitational induction from Planck's parameters.

The binary division inversion is coupled to the pyramid inversions for the quark cells. The factor of the coupling is  $2.668056 = 2 \times 4/3 \times 1.000521 = 8/3 \times 1.000521$ .

Both symmetry inversions show the end condition of the  $\tau$ -lepton after the 6<sup>th</sup> and 7<sup>th</sup> inversion.

What is not completely analyzed are the states in between for these two symmetries.

[home](#)